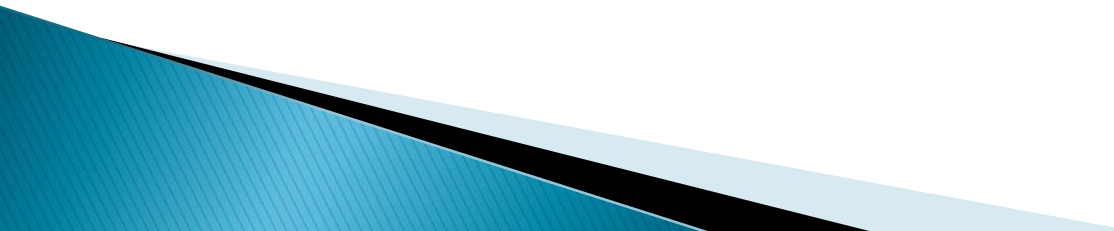


SORTING

B.Vidyullatha
Lecturer in Computer Science
D.K.Govt. College for
Women(A),Nellore

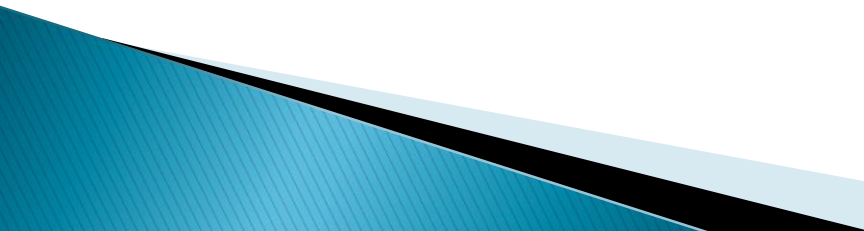
Outline

- ▶ Introduction
 - ▶ Sorting Techniques
 - Bubble Sort
 - Selection Sort
 - Insertion Sort
 - Merge Sort
 - Quick Sort
- 

Introduction

- ▶ Sorting refers to the operation or technique of arranging and rearranging sets of data in some specific order.
- ▶ Sorting is the operation performed to arrange the records of a table or list in some order according to some specific ordering criterion.
- ▶ The records are sorted either numerically or alphanumerically.
- ▶ Categories of Sorting:
 - Internal Sorting
 - External Sorting

Bubble Sort

- ▶ **bubble sort:** orders a list of values by repetitively comparing neighboring elements and swapping their positions if necessary
 - ▶ Procedure:
 - scan the list, exchanging adjacent elements if they are not in relative order; this bubbles the highest value to the top
 - scan the list again, bubbling up the second highest value
 - repeat until all elements have been placed in their proper order
- 

Bubble Sort – Example

List is unsorted. We are going to sort this in ASCENDING order using Bubble Sort

5	4	3	2	1
---	---	---	---	---

First Pass of the first For loop.

$1=0$, $a[j]=5$, $a[j+1]=4$ (Second For loop starts working)

5	4	3	2	1
---	---	---	---	---

Here $a[j]=5$ and $a[j+1]=4$ are compared. Their positions are then interchanged.

Second For loop gets iterated. Now $j=1$ $a[j]=5$ and $a[j+1]=3$

4	5	3	2	1
---	---	---	---	---

$j=2$ $a[j]=5$ and $a[j+1]=2$

4	3	5	2	1
---	---	---	---	---

$j=3$ $a[j]=5$ and $a[j+1]=1$

4	3	2	5	1
---	---	---	---	---

Largest element of the list is moved to last position after first pass.

4	3	2	1	5
---	---	---	---	---

Selection Sort

- ▶ **selection sort:** orders a list of values by repetitively putting a particular value into its final position
- ▶ **Procedure:**
 - find the smallest value in the list
 - switch it with the value in the first position
 - find the next smallest value in the list
 - switch it with the value in the second position
 - repeat until all values are in their proper places

Selection Sort - Example

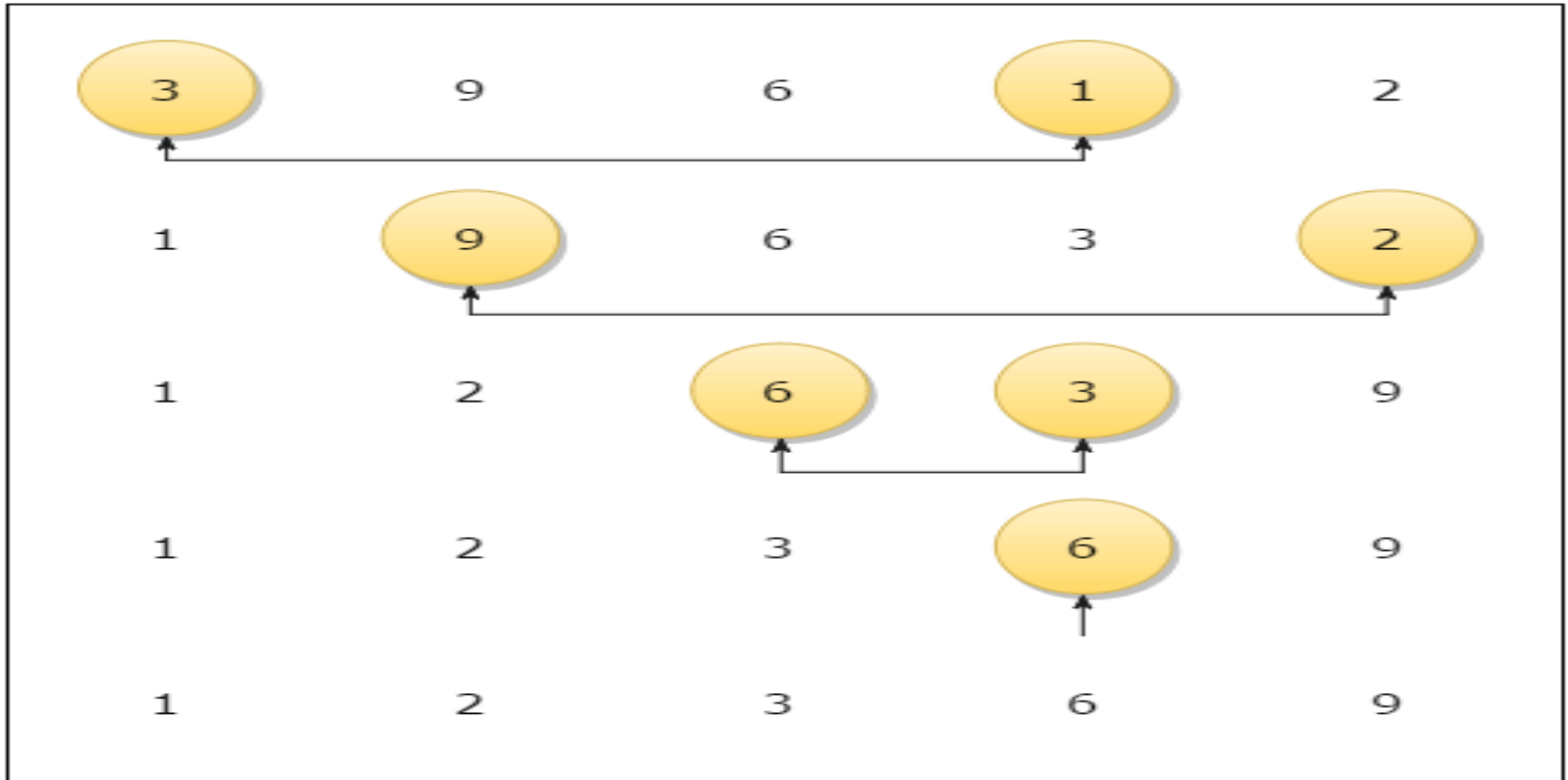


Fig. Selection Sort Technique

Insertion Sort

- ▶ **insertion sort:** orders a list of values by repetitively inserting a particular value into a sorted subset of the list
- ▶ **Procedure:**
 - consider the first item to be a sorted sublist of length 1
 - insert the second item into the sorted sublist, shifting the first item if needed
 - insert the third item into the sorted sublist, shifting the other items as needed
 - repeat until all values have been inserted into their proper positions

Insertion Sort – Example

3 is sorted.
Shift nothing. Insert 9.



3 and 9 are sorted.
Shift 9 to the right. Insert 6.



3, 6, and 9 are sorted.
Shift 9, 6, and 3 to the right. Insert 1.



1, 3, 6, and 9 are sorted.
Shift 9, 6, and 3 to the right. Insert 2.



Merge Sort

- ▶ This technique is based on splitting a list, into two comparable sized lists, i.e., left and right and then sorting each list individually and then merging the two sorted lists back together as one.

Merge Sort – Example

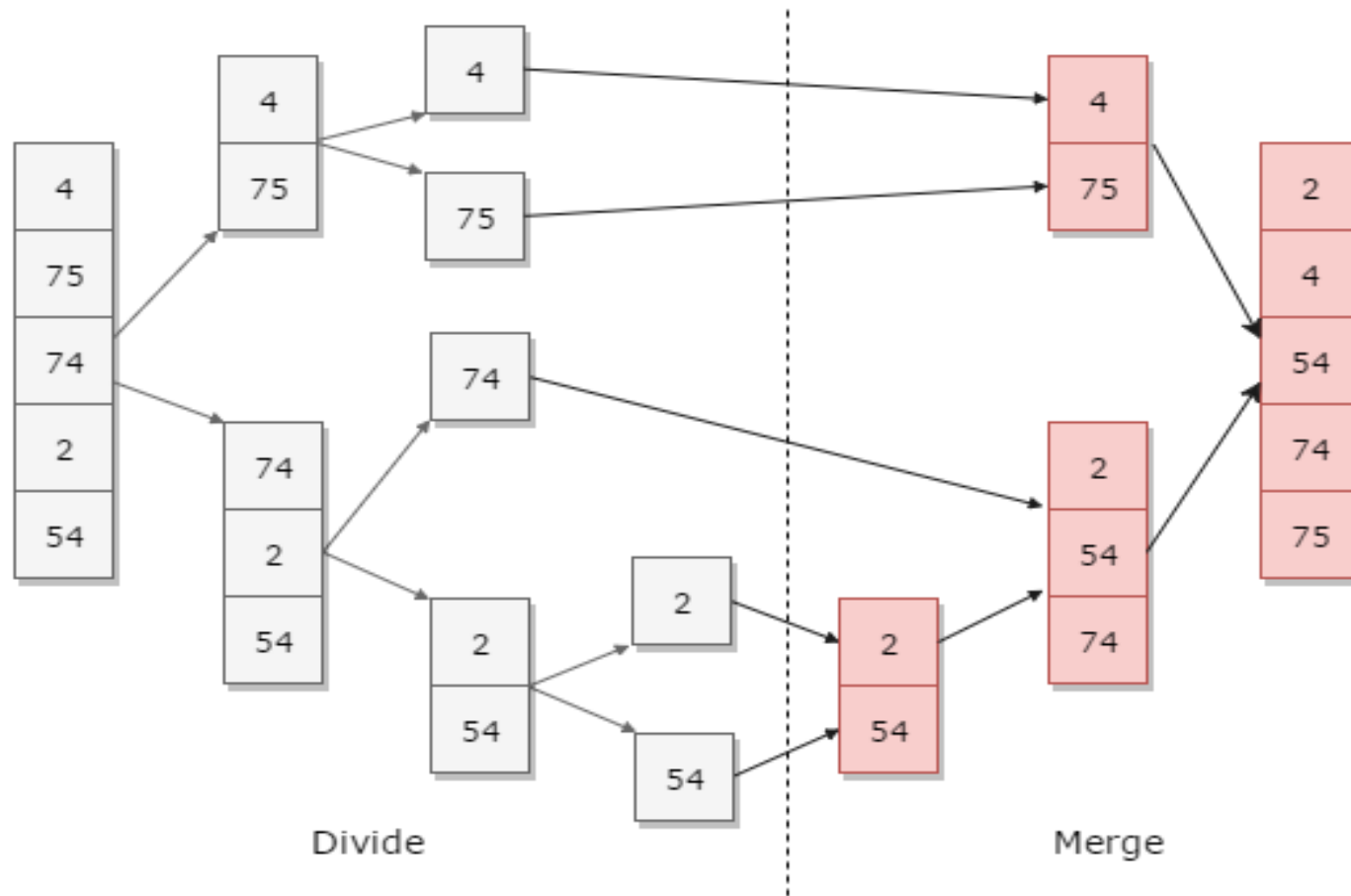
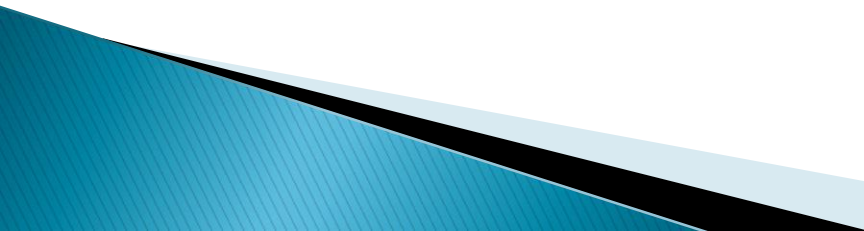


Fig: Merge Sort Technique

Quick Sort

- ▶ Quick sort is one of the most famous sorting techniques based on divide and conquer strategy.
 - ▶ This technique starts by picking a single item which is called pivot and moving all smaller items before it, while all greater elements in the later portion of the list.
 - ▶ This is the main quick sort operation named as a partition, recursively repeated on lesser and greater sublists until their size is one or zero – in which case the list is wholly sorted.
- 

Quick Sort – Example

We are given array of n integers to sort:

40	20	10	80	60	50	7	30	100
----	----	----	----	----	----	---	----	-----

Pick Pivot Element

There are a number of ways to pick the pivot element. In this example, we will use the first element in the array:

40	20	10	80	60	50	7	30	100
----	----	----	----	----	----	---	----	-----

Partitioning Array

Given a pivot, partition the elements of the array such that the resulting array consists of:

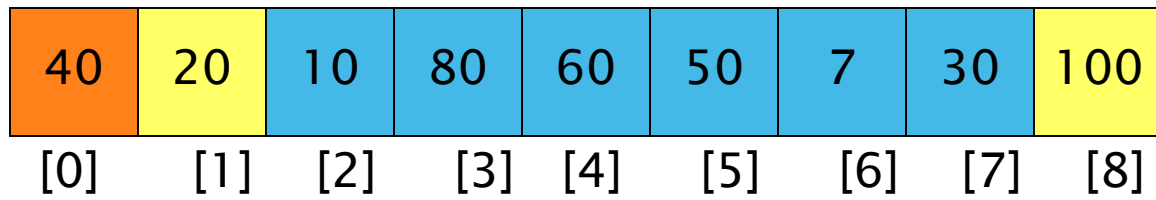
1. One sub-array that contains elements \geq pivot
2. Another sub-array that contains elements $<$ pivot

The sub-arrays are stored in the original data array.

Partitioning loops through, swapping elements below/above pivot.



Pivot = 0

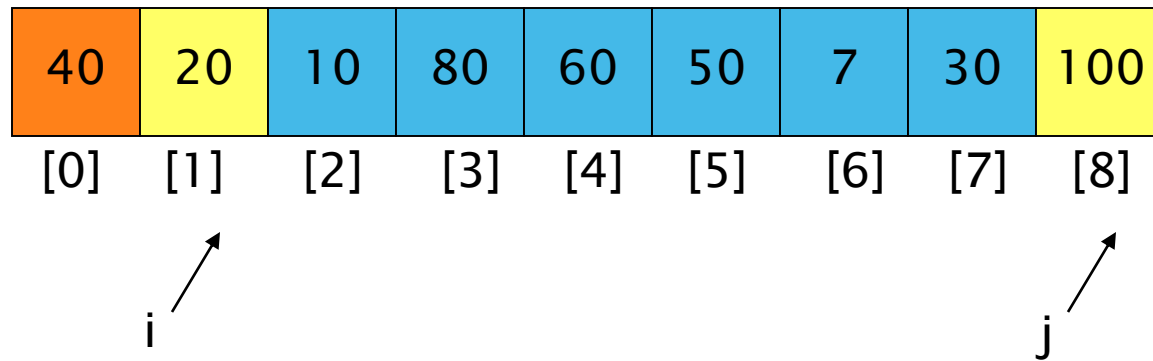


i

j

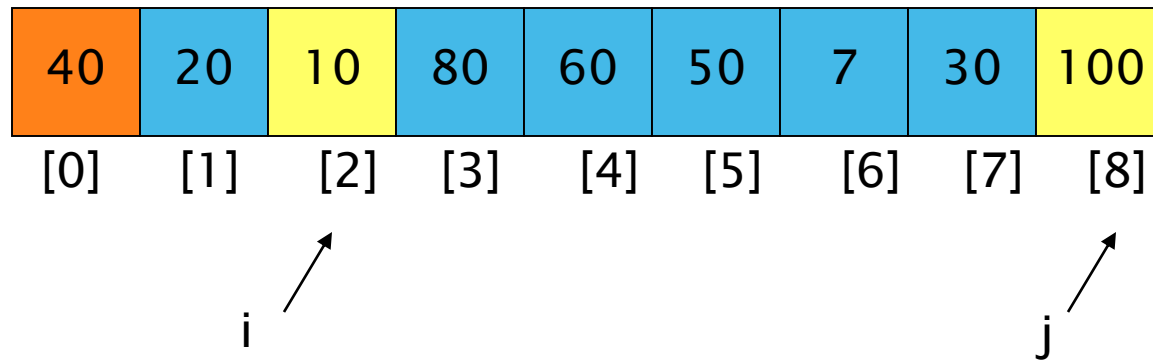
1. While $a[i] \leq a[\text{pivot}]$
 $++i$

pivot = 0



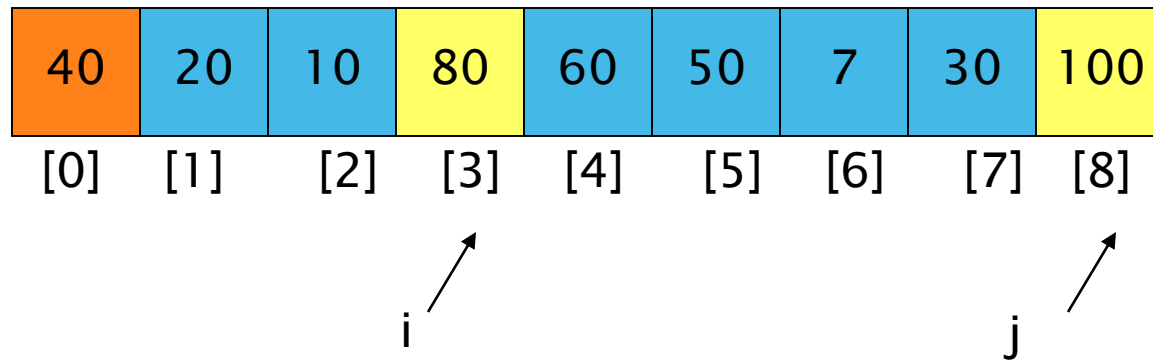
1. While $a[i] \leq a[\text{pivot}]$
 $++i$

pivot = 0



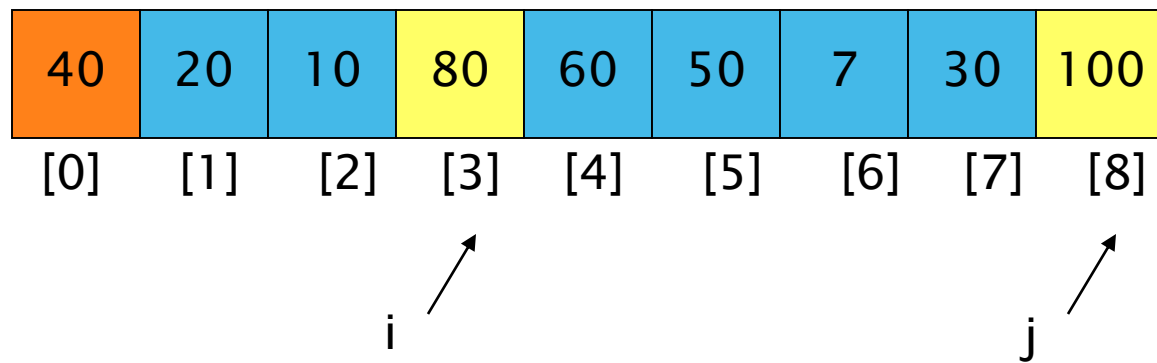
1. While $a[i] \leq a[\text{pivot}]$
 $++i$

pivot = 0



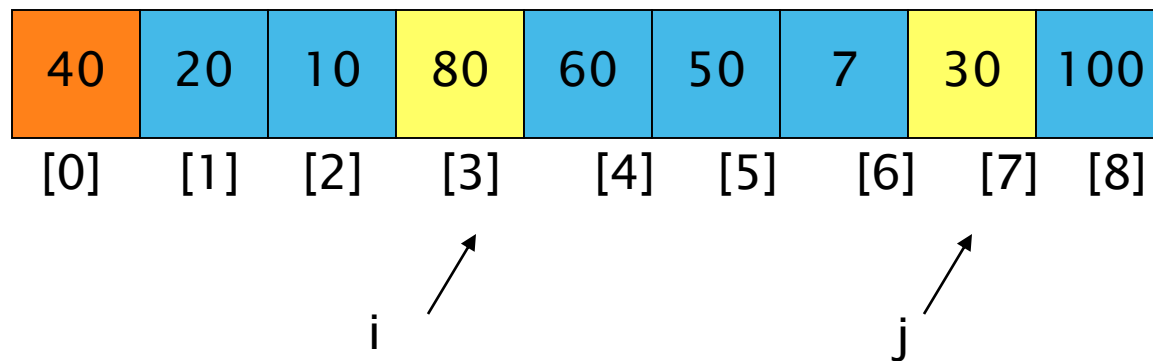
1. While $a[i] \leq a[\text{pivot}]$
 $++i$
2. While $a[j] \geq a[\text{pivot}]$
 $--j$

pivot = 0



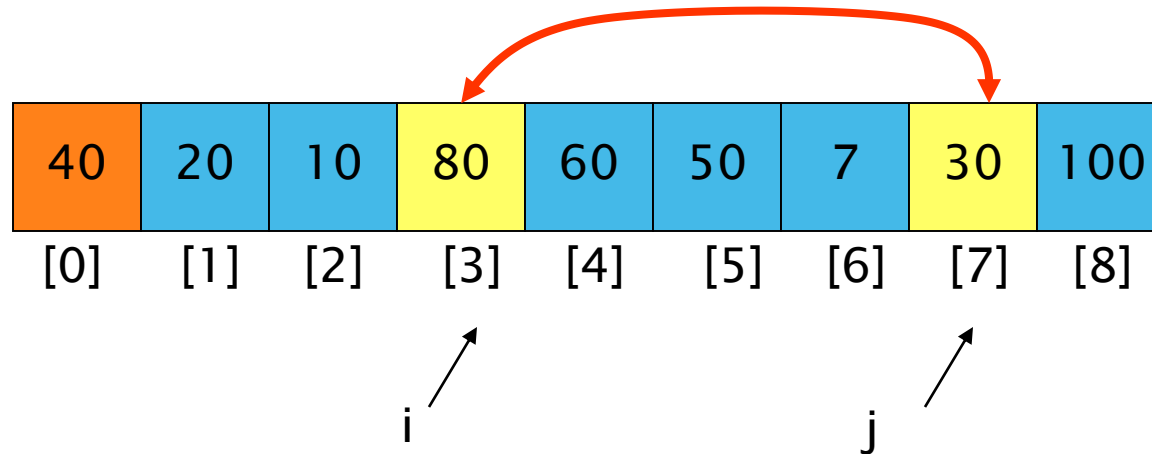
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 $--j$

Pivot = 0



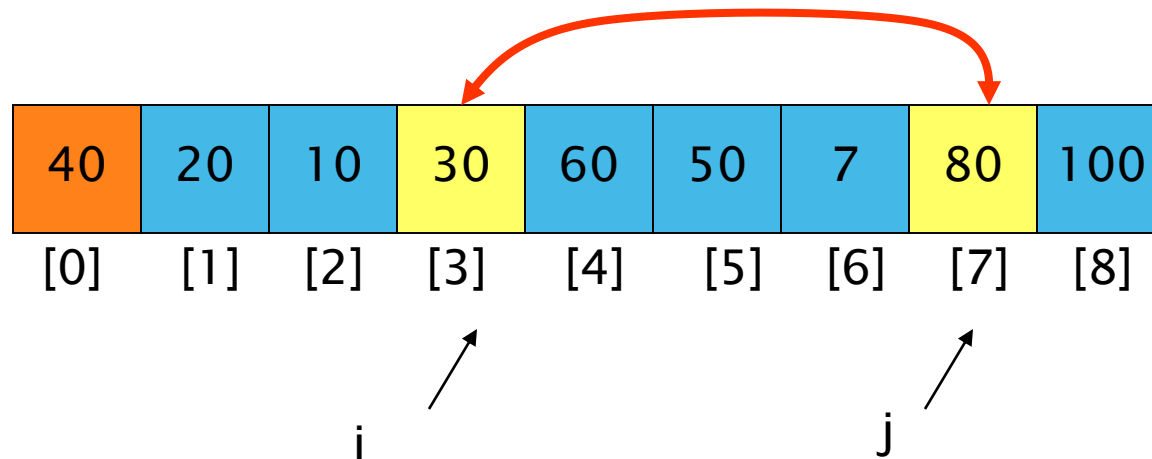
1. While $a[i] \leq a[\text{pivot}]$
 $++i$
2. While $a[j] \geq a[\text{pivot}]$
 $--j$
3. If $i < j$
 swap $a[i]$ and $a[j]$

pivot = 0



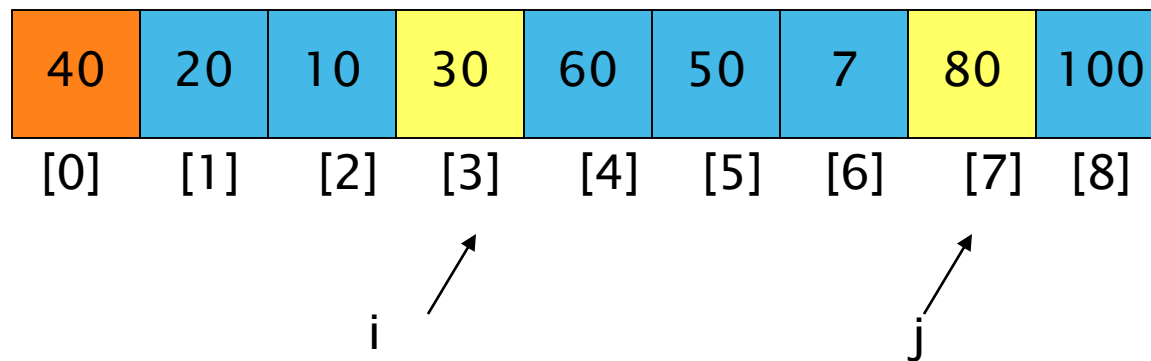
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 $--j$
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Pivot = 0



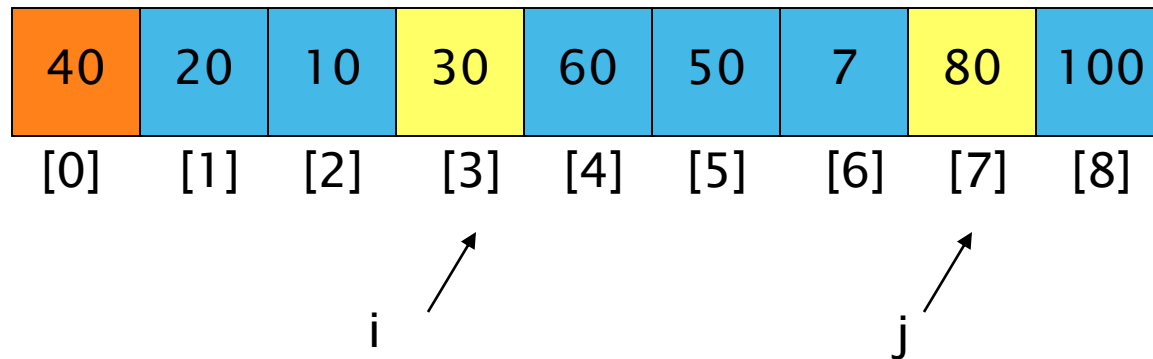
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 $--j$
3. If $i < j$
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4. While $j > i$, go to 1.

Pivot = 0



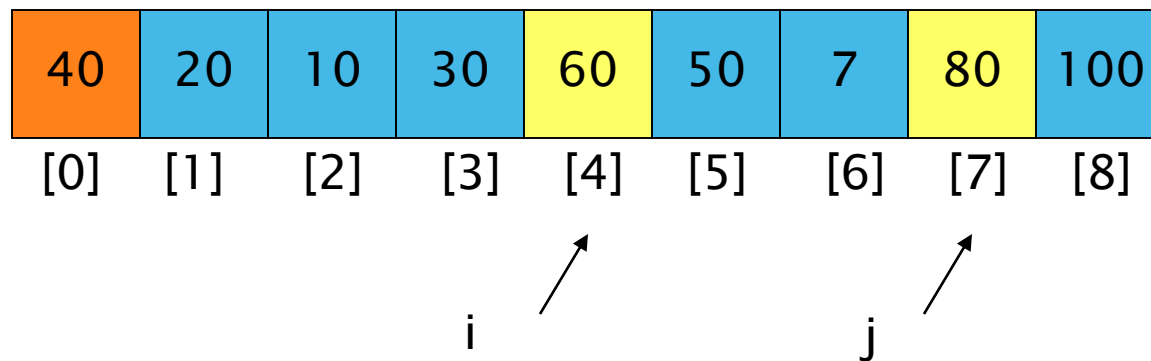
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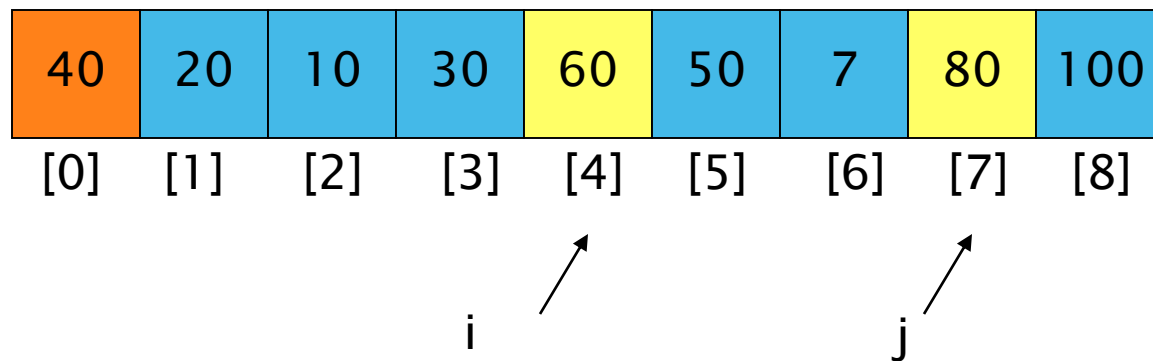
pivot = 0



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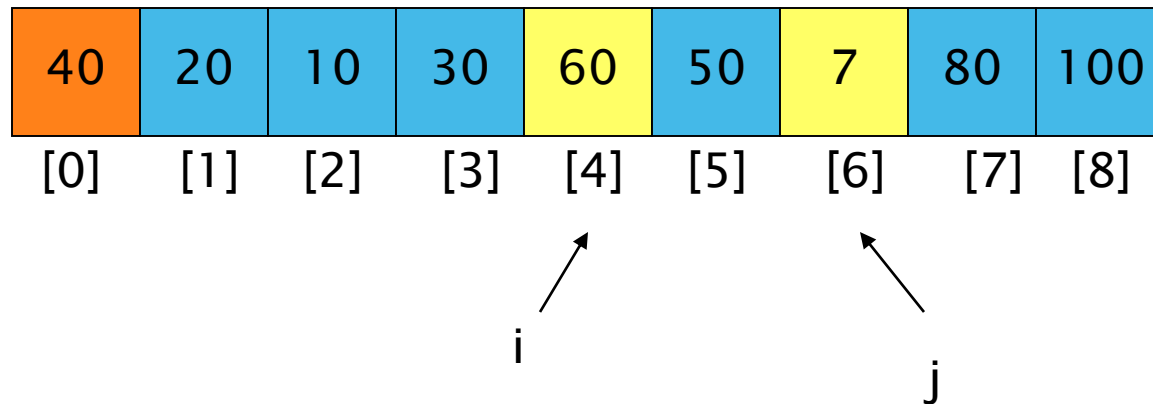
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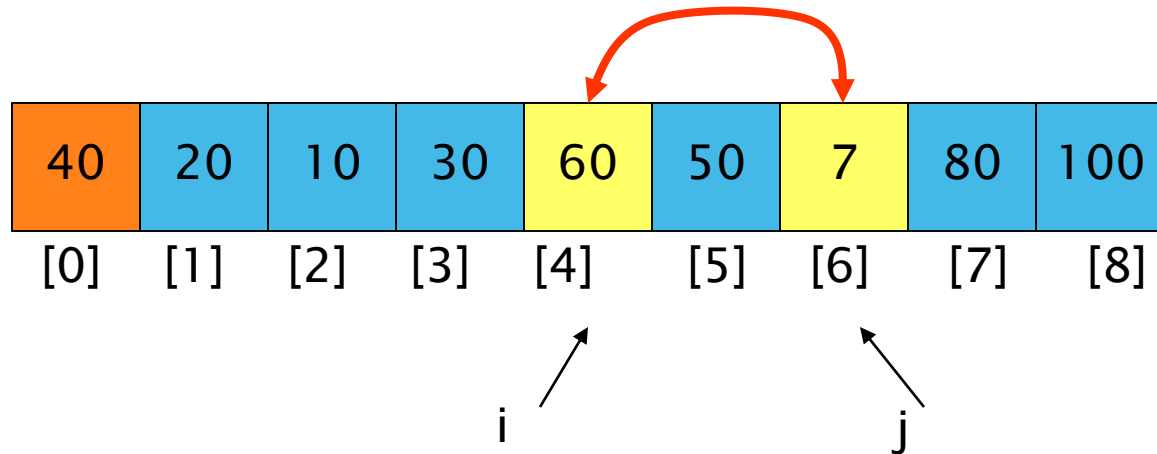


Pivot = 0



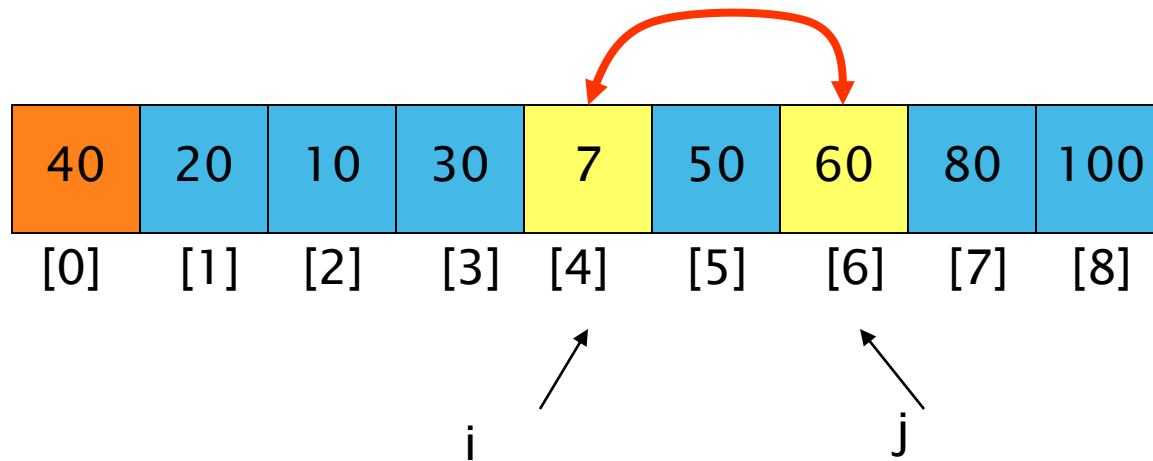
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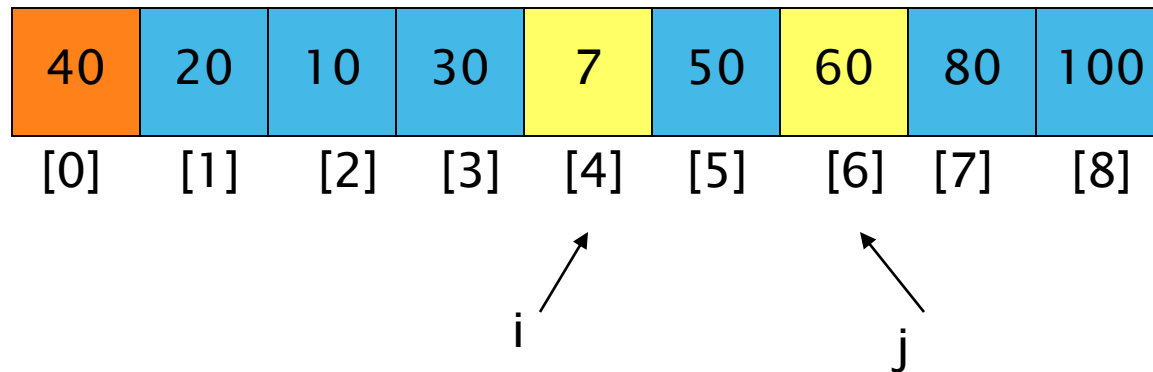
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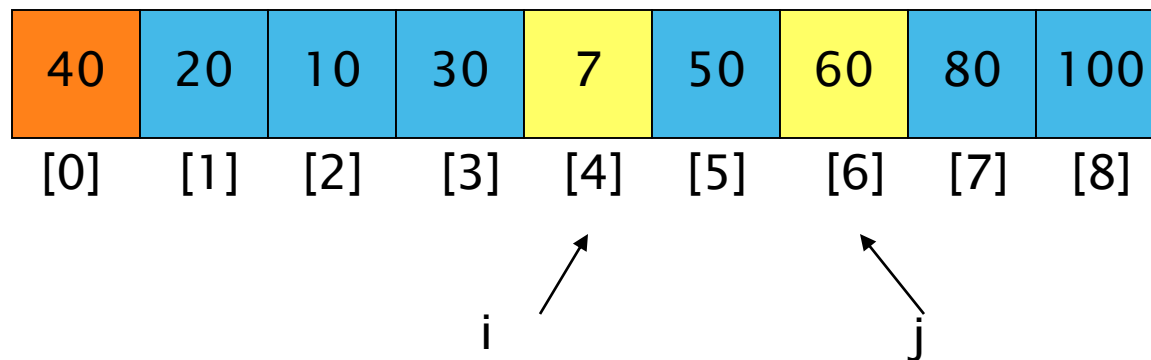


pivot = 0



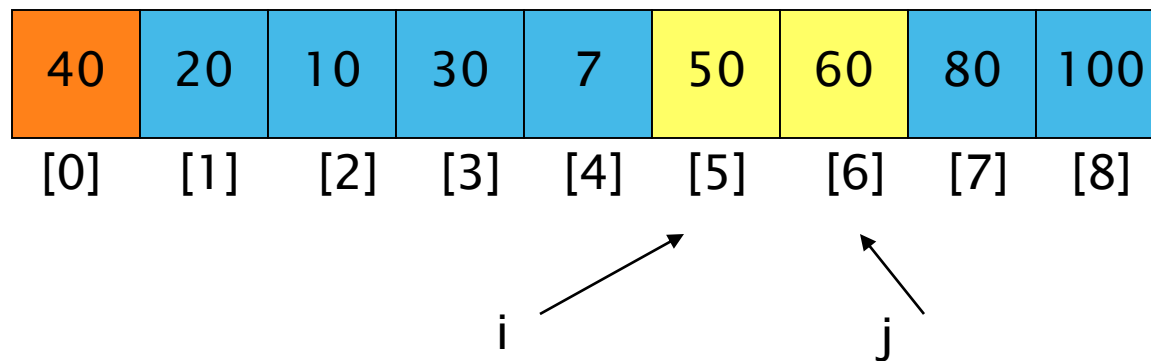
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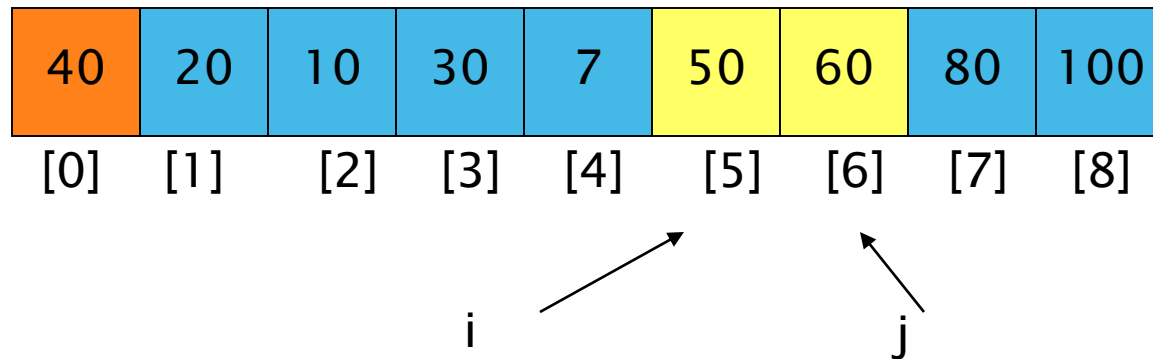
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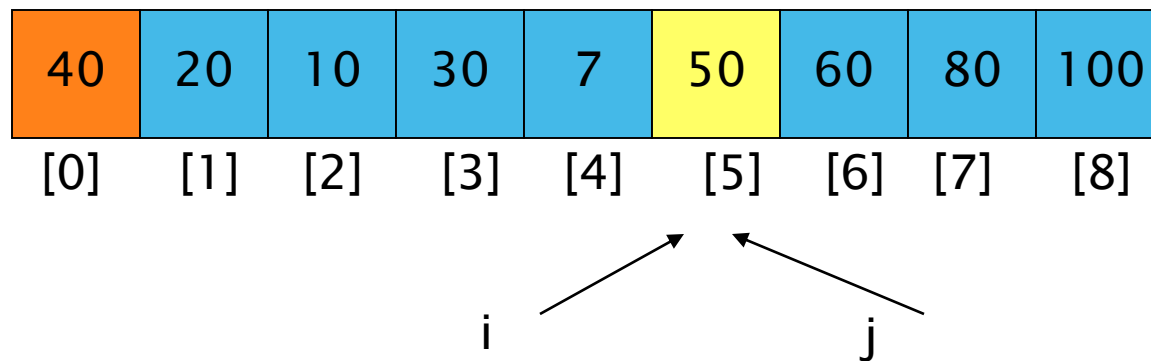
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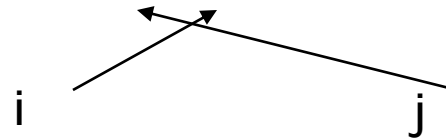
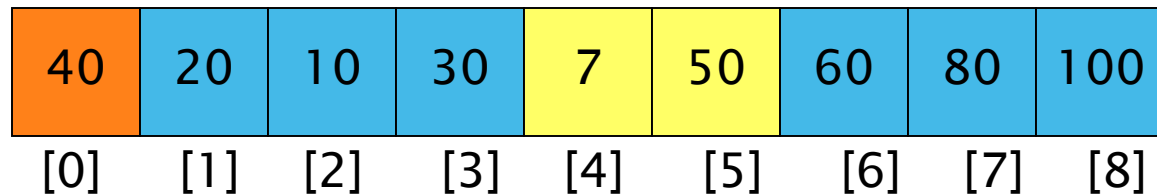
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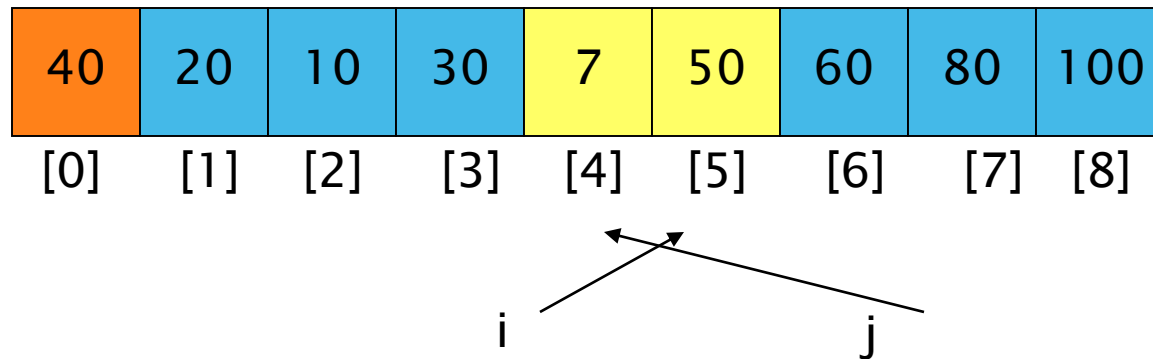


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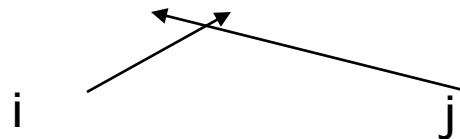
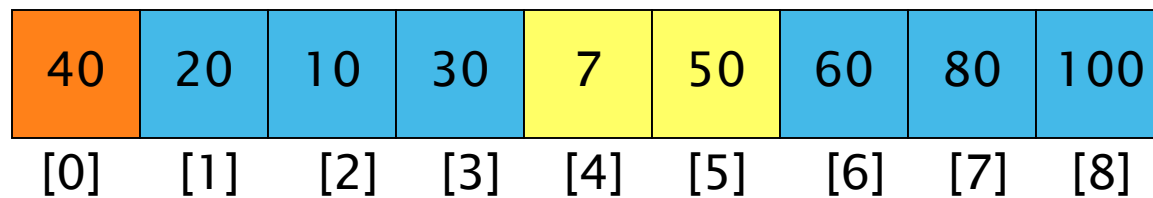
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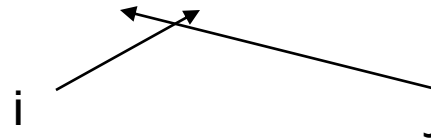
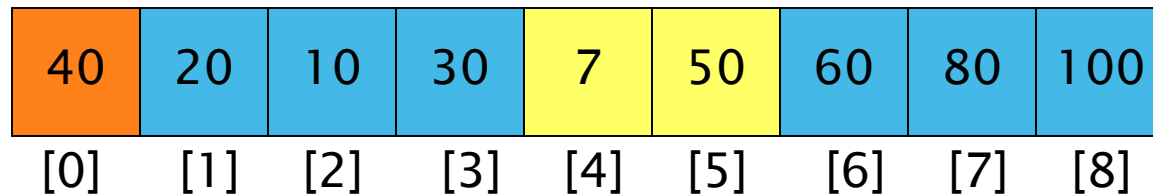
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4. While $j > i$, go to 1.
5. Swap $a[j]$ and $a[\text{pivot}]$



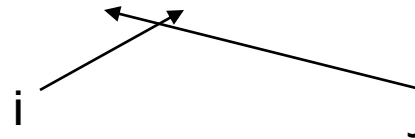
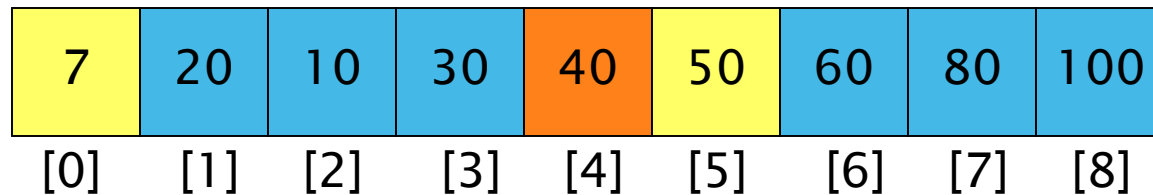
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5. Swap $a[j]$ and $a[\text{pivot}]$



pivot = 4



Partition Result

